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- Chapter 3 Pi (π)
- Chapter 4 e (mathematical constant)
- Chapter 5 Euler-Mascheroni Constant
- Chapter 6 Golden Ratio
- Chapter 7 Quadratic Equation
- Chapter 8 Linear Equation
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Mathematical Constants



- Chapter 1 Mathematical Constant
- Chapter 2 0 (number)
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